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A Study on Design and Fabrication of Ferrite Electromagnetic Wave Absorber in Top-Cut Corn Array Type.

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Abstract

According to the development of the electronics and the radio communications technologies, the human life has been abundant. Due to the extended use of electromagnetic wave, however, it has become important to work out a countermeasure for EMI/EMS. Thus, the international organazations, for example, ANSI, FCC, CISPR, etc. have studied and established the regulations or the rules for EMI/EMC.

The absorbing ability of 20 dB have required for the electromagnetic wave absorbers used in an anechoic chamber for EMI/EMS measurement in the bandwidth through 30 MHz to 1,000 MHz. From November of 1998, however, the frequency band for EMI measurement from 1 GHz to 18 GHz accepted as CISPR11 in addition to the conventional one. The actually and broadly used wave absorber for an anechoic chamber was a type of tile or grid, which has the bandwidth from 30 MHz to 400 MHz or up to 870 MHz. Therefore, it is required to expand the frequency band of wave absorption.

In this thesis, for this reason, the top-cut corn array type was proposed and the broadband design was carried out using the equivalent material constants method. Moreover, the computer simulation and experiment were performed. The results are as follows :

- (1) As a simulation result, the designed absorber has the wide band characteristics from 30 MHz to 50 GHz, the thickness of which is very thin just as 34.7 mm.
- (2) It was confirmed experimentally that the fabricated wave absorber has the absorbing ability of 20 dB in the frequency band from 30 MHz to 1.08 GHz .

Thus, it was clearly shown that the available room can be effectively obtained in an anechoic chamber by using the designed thin absorber.

As a further work, the experiments in high frequency band above 1 GHz is made progress.

Nomenclature

В	:	Magnetic Flux Density Vector
С	:	Capacitance
D	:	Electric Flux Density Vector
d_n	:	Thickness of nth Layer
Е	:	Electric Field Vector
G	:	Conductance
н	:	Magnetic Field Vector
Ι	:	Current
J	:	Electric Conduction Current Density Vector
L	:	Inductance
R	:	Resistance
V	:	Voltage
V ₁ , I ₁	:	Voltage, Current in the Air Region(Input)
V_2 , I_2	:	Voltage, Current in Sample
Y	:	Admittance
Z	:	Impedance
Zc	:	Characteristics Impedance
Z. n	:	Input Impedance of nth Layer
α	:	Attenuation Constant
β	:	Phase Constant
γ	:	Propagation Constant
ε	:	Permittivity
$oldsymbol{arepsilon}_0$:	Permittivity of Vacuum

$oldsymbol{arepsilon}_{eq}$:	Equivalent Permittivity
${m arepsilon}_{rn}$:	Relative Permittivity of nth Layer
	:	Wavelength
μ	:	Permeability
μ_0	:	Permeability of Vacuum
μ_i	:	Initial Permeability
$\mu_{\scriptscriptstyle eq}$:	Equivalent Permeability
μ_{rn}	:	Relative Permeability of nth Layer
б	:	Conductivity
ω	:	Anguler velocity

Abstract	•	•	•	•	•	•	•	•	•	•	•	•	•	•	·	•	•	·	•	•	•	•	•	•	·	·	•
Nomenclature	•	•		•	•	•		•	•	•	•	•	•						•		•	•					

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2																		
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3 가																		
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4.1			 			•			•				•		•	•	• 31	
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1

1.1

가			
			(CISRP
; Comite Internat	ionale Special d	les Perturbations Radioelectri	ique),
(F	CC ; Federal C	Communications Commissions	s), 가
(ANSI ; America	an National Star	ndards Institute)	,
		(EMI ; Electrom	agnetic Interference)
/ (EM	IC; Electromag	netic Compatibility)	
[1].	EMI/EMC	()
가	가	. , EMI/EMC	
			가
(ANSI C634-	1991, CISPR A	SEC 109, IEC 801-3)	
, 20 dB	(99 %)	가	30 MHz
1000 MHz		, 1998 11	
(CISPR)		1 GHz - 18 GHz	
CISPR11	[2].		
			가
,	,		
		가	
			가
	,	,	
가		[3].	
	가	, Nisshinbo T	empest 30

,

MHz	800 MHz	20 dB		가	Grid
		50 %			
					, ア
		71			
	20. 14	1			
	30 M	Hz 50 GHz			,
	71 10		,		50
	71.8	3 m	,		50 mm
가		,	, 가	,	
		가	가		

(Immunity) , TV Ghost • 가 가 • 가 30 MHz 18 GHz 20 dB 가 . , () , 7.4 mm Ni-Zn . 30 MHz $400 \ MHz$ 20 dB 가 . , , , 가 , 가 30 MHz 50 20 dB GHz 가 4 cm , •

2

2.1





Fig. 2.1 General Transmission Line and Equivalent Circuit.

$$V(z) = (R \varDelta z + j \omega L \varDelta z) I(z) + V(z) + \varDelta V(z)$$
(2.1)

$$I(z) = V(z) + \Delta V(z) + j \omega C \Delta z + G \Delta z + I(z) + \Delta I(z)$$
(2.2)

$$\frac{dV(z)}{dz} = -(R + j\omega L)I(z) = -Z_{d}I(z)$$
(2.3)

$$\frac{\mathrm{d}\mathbf{I}(\mathbf{z})}{\mathrm{d}\mathbf{z}} = -(\mathbf{G} + j\omega\mathbf{C})\mathbf{V}(\mathbf{z}) = -\mathbf{Y}_{\mathrm{d}}\mathbf{V}(\mathbf{z})$$
(2.4)

.

(2.4) Z

$$\frac{-\mathrm{d}^2 V(z)}{\mathrm{d}z^2} = -(\mathbf{R} + j\omega \mathbf{L}) \frac{\mathrm{d}\mathbf{I}}{\mathrm{d}z}$$
(2.5)

$$\frac{\mathrm{d}^{2}\mathrm{I}(z)}{\mathrm{d}z^{2}} = -\left(\mathrm{G} + j\omega\mathrm{C}\right)\mathrm{V}(z)\frac{\mathrm{d}\mathrm{V}}{\mathrm{d}z}$$
(2.6)

(2.5) (2.4) , (2.6) (2.3)

$$\frac{d^2 V(z)}{dz^2} = (R + j\omega L) (G + j\omega C) V \qquad (2.7)$$

$$\frac{d^2 I(z)}{dz^2} = (R + j\omega L) (G + j\omega C) I$$
(2.8)

$$\gamma^{2} = (\mathbf{R} + j\omega\mathbf{L})(\mathbf{G} + j\omega\mathbf{C})$$

$$\frac{d^{2}\mathbf{V}}{dz^{2}} - \gamma^{2}\mathbf{V} = 0$$

$$\frac{d^{2}\mathbf{I}}{dz^{2}} - \gamma^{2}\mathbf{I} = 0$$
(2.9)
(2.10)

$$V = V_{1} e^{-\gamma z} + V_{2} e^{\gamma z}$$
(2.11)

$$I = I_1 e^{-\gamma z} + I_2 e^{\gamma z}$$
(2.12)

$$I = \frac{1}{Z_{c}} (V_{1} e^{-\gamma z} + V_{2} e^{\gamma z})$$
(2.13)

,
$$Z_{C} = \sqrt{(R + j\omega L)/(G + j\omega C)}$$
:
 $V_{1,} I_{1}$: ,
 $V_{2,} I_{2}$: ,
 $\gamma = \alpha + j\beta$:

2.2.2

3	Maxwell		
$\mathbf{\nabla} \times \mathbf{E} = -\partial \mathbf{B} / \partial \mathbf{r}$	t		(2.14)
$\nabla \times \mathbf{H} = \mathbf{J} + \partial \mathbf{D} / \mathbf{I}$	∂ t		(2.15)
t	e ^{jwt}	E,	B, D, H, J
	(x,y,z)		(2.14) (2.15)

$$\nabla \times \mathbf{E} = -j\,\boldsymbol{\omega}\mathbf{B} \tag{2.16}$$

.

$$\boldsymbol{\nabla} \times \mathbf{H} = \mathbf{J} + j \,\omega \mathbf{D} \tag{2.17}$$

, , .

.

$$\mathbf{D} = \boldsymbol{\varepsilon} \mathbf{E} , \ \mathbf{B} = \boldsymbol{\mu} \mathbf{H} , \ \mathbf{J} = \boldsymbol{\sigma} \mathbf{E} \qquad \boldsymbol{\varepsilon} ,$$

μ, σ

(2.16) (2.17)

 $\boldsymbol{\nabla} \times \mathbf{E} = -j\,\omega\mu\mathbf{H} \tag{2.18}$

$$\boldsymbol{\nabla} \times \mathbf{H} = (\boldsymbol{\sigma} + \boldsymbol{j}\,\boldsymbol{\omega}\boldsymbol{\varepsilon})\mathbf{E} \tag{2.19}$$

$$\nabla \times \mathbf{H} = j \omega [\varepsilon - j (\sigma / \omega)] \mathbf{E} \qquad \varepsilon - j (\sigma / \omega)$$

$$\varepsilon \qquad (2.19)$$

$$\nabla \times \mathbf{H} = j \omega \varepsilon \mathbf{E} \qquad (2.20)$$

$$\cdot \mathbf{E}, \mathbf{H} \qquad 3 \quad \text{Vector}$$

$$\mathbf{E} = \hat{\mathbf{x}} \mathbf{E}_{x} + \hat{\mathbf{y}} \mathbf{E}_{y} + \hat{\mathbf{z}} \mathbf{E}_{z} \qquad (2.21)$$

$$\mathbf{H} = \hat{\mathbf{x}} \mathbf{H}_{x} + \hat{\mathbf{y}} \mathbf{H}_{y} + \hat{\mathbf{z}} \mathbf{H}_{z} \qquad (2.22)$$

$$x, y, z \qquad ,$$

$$\frac{\partial \mathbf{E}}{\partial \mathbf{x}} = \frac{\partial \mathbf{E}}{\partial \mathbf{y}} = \frac{\partial \mathbf{H}}{\partial \mathbf{x}} = \frac{\partial \mathbf{H}}{\partial \mathbf{y}} = 0$$
(2.23)

$$(2.20)$$

$$\frac{dE_{y}}{dz} = j \omega \mu H_{x}$$

$$\frac{dE_{x}}{dz} = -j \omega \mu H_{y}$$

$$E_{z} = 0 \qquad (2.24)$$

$$\frac{dH_{y}}{dz} = -j \omega \varepsilon E_{x}$$

$$\frac{dH_{x}}{dz} = j \omega \varepsilon E_{y}$$

$$H_z = 0 \tag{2.25}$$

.

,

$$\frac{dE_{x}}{dz} = -j \omega \mu H_{y}$$

$$\frac{dH_{y}}{dz} = -j \omega \varepsilon E_{x}$$

$$\frac{dE_{y}}{dz} = j \omega \mu H_{x}$$

$$\frac{dH_{x}}{dz} = j \omega \varepsilon E_{y}$$
(2.26)
(2.27)

2.2.3.

2.2.1 2.2.2

$$\frac{dE_{x}}{dz} = -j \omega \mu H_{y}$$
(2.28)

$$\frac{dV(z)}{dz} = -(R + j \omega L) I(z)$$

$$\frac{dI(z)}{dz} = -(G + j \omega C) V(z)$$
(2.29)
(2.28) (2.29) ,
.

$$\mu = \mu' - j \mu''$$
$$\varepsilon = \varepsilon' - j \varepsilon''$$

(2.28) (2.29)

- 1) Inductance L μ'
- 2) Capactance C ε'
- 3) Resistance R $\omega \mu''$
- 4) Conductance G $\omega \varepsilon''$

,

$$R \qquad G$$

$$\varepsilon (= \varepsilon' - j \varepsilon'') \qquad \mu(= \mu' - j \mu'') \qquad R \qquad G$$

$$\mu'' \quad \varepsilon'' \qquad . \quad , 1) \quad 2) \qquad 3) \quad 4)$$

$$\sigma \qquad \varepsilon'' = \varepsilon'' + (\sigma / \varepsilon) \qquad .$$

$$\sigma, \varepsilon'', \mu'' \qquad .$$

 $7^{\frac{1}{2}}$ $(\sigma): \sigma$ Ohm, $7^{\frac{1}{2}}$..(Carbon).

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가 S

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 $\Delta f / f_o$

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		⊿ f / f₀フト	10%	,		20%
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)						
	가					
			$(\mathbf{\Lambda}\mathbf{f}/\mathbf{f})$	20%	30%	
				2070	5070	
			2			
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,		f				71
		ι _L				~1
					,	
가			가			
	,				[6].	

2.3.2

d , Z (2.30) $\hat{z} = \sqrt{\frac{\mu_{\rm r}}{\varepsilon_{\rm r}}} \tanh\left(j \frac{2\pi}{\lambda} \sqrt{\varepsilon_{\rm r} \,\mu_{\rm r}} \,\mathrm{d}\right)$ (2.30) , λ , $\varepsilon_{\rm r}$ ($\varepsilon/\varepsilon_0$), $\mu_{\rm r}$

$$(\mu/\mu_0)$$
 . $S = \frac{\hat{z} - 1}{\hat{z} + 1}$,

$$s = 0$$
 $\hat{z} ? 1$. ,

(2.31) .

$$\sqrt{\frac{\mu_{\rm r}}{\varepsilon_{\rm r}}} \tanh \left(j \frac{2\pi}{\lambda} \sqrt{\varepsilon_{\rm r} \mu_{\rm r}} \, \mathrm{d} \right) = 1$$
 (2.31)

$$\mathcal{F}_{r} = \varepsilon_{r}' - j\varepsilon_{r}''$$

 $\varepsilon_{
m r}$ ', $\varepsilon_{
m r}$ ''

•

2)

$$\sqrt{\frac{\mu_{\rm r}}{\varepsilon_{\rm r}}} \tanh\left(j\frac{2\pi}{\lambda}\sqrt{\varepsilon_{\rm r}\,\mu_{\rm r}}\,\mathrm{d}\right) = 1$$
(2.34)

$$\mu_r = 1$$
 , μ_r 7

7
$$\gamma$$
 γ $\varepsilon_{r} (= \varepsilon_{r}' - j \varepsilon_{r}''), \mu_{r} (= \mu_{r}' - j \mu_{r}'') d/\lambda$ 5

7 : (2.34)
-
$$j\omega \tanh \omega = \varepsilon_r \frac{2\pi}{\lambda} d$$

$$\omega = j \frac{2\pi}{\lambda} \sqrt{\varepsilon_{\rm r} \,\mu_{\rm r}} \,\mathrm{d} \tag{2.35}$$

(2.35)
$$(\mu_r, \varepsilon_r, d)$$
? \uparrow

$$d \ll \lambda$$
 (2.35) . $d \ll \lambda$

(2.35)
$$\omega \qquad \omega \qquad \varepsilon_{\rm r} \,\mu_{\rm r} \qquad 7!$$

(1)

.

 $\omega \ll 1$, $\tanh \omega \doteq \omega$, (2.34)

$$1 = \sqrt{\frac{\mu_{\rm r}}{\varepsilon_{\rm r}}} \left(j \frac{2\pi}{\lambda} \sqrt{\varepsilon_{\rm r} \,\mu_{\rm r}} \,\mathrm{d} \right) = j \frac{2\pi}{\lambda} \,\mu_{\rm r} \,\mathrm{d}$$
(2.36)

$$, \mu_{\rm r} = \mu_{\rm r}' - j \mu_{\rm r}'' ,$$

$$1 = \frac{2\pi}{\lambda} \mu_{\rm r}'' d + j \frac{2\pi}{\lambda} \mu_{\rm r}' d$$
(2.37)

(2.37)
$$\mu_{r}' = 0, \ \mu_{r}'' \gg 1 \qquad \lambda$$
$$d = \frac{\lambda}{2\pi\mu_{r}} \qquad (2.38)$$

$$\mu_{
m r}$$
 f_r

$$d \qquad \varepsilon_r \qquad d \ll \lambda$$
 ,

.

$$arepsilon_{
m r}$$
 .

(2)

.

$$\omega \ll 1$$
 $d \ll \lambda$ $\sqrt{\varepsilon_r \mu_r}$ $\omega \ll 1$

,
$$\mu_{
m r}{}^{\prime \prime}$$

 $\varepsilon_{\rm r}(=\varepsilon_{\rm r}' - j\varepsilon_{\rm r}'') \qquad \varepsilon_{\rm r}'' = 0$.

.
$$f \lambda = C$$
 (C), $\mu_r = \mu_r' - j \mu_r''$

(2.34)

$$1 = \sqrt{\frac{\mu_{r}' - j\mu_{r}''}{\varepsilon_{r}'}} \tanh\left(j \frac{2\pi}{C} \sqrt{\varepsilon_{r}'(\mu_{r}' - j\mu_{r}'')} fd\right)$$
(2.39)

$$\varepsilon_{r}$$
 '' f_{d} ε_{r} '' f_{d}

$$\mu_{
m r}$$
 .

,

.

가

 가가

 .

$$\mu_r$$

 f_r

$$arepsilon_{
m r}{}^{\prime \prime}$$
가

•

가

,

.

 d/λ 7 \cdot ,

d
$$\lambda$$
 .

$$\mu_{
m r}$$

3) 71 5 8 mm

. 2.2 가



Fig. 2.2 Tile Type Electromagnetic Wave Absorber.

S , α^2 (2.40) . $\alpha^2 = 1 - |s|^2$ (2.40), |S|가 가 $(-20 \log S) 20 dB$, ≥ 0.99 NiZn MnZn . 30 MHz 400 MHz TV. 4) 20 dB 가 30 MHz 870 MHz

가 18 GHz

. 2.3

•



Fig. 2.3 Grid Type Electromagnetic Wave Absorber.

2.3.3

1)

가 2 , 가 . 2.5 . x

.

S (2.42)

,β:

.

 μ_0 가

Z ,

 $S = \frac{\hat{z} - 1}{\hat{z} + 1}$ (2.42) , 7; z = 1.,

,

.

30

(2.43)

- $\frac{\hat{z} 1}{\hat{z} + 1} \leq S_0 \tag{2.43}$
- (2.43) (2.41) z_x . ,
- (2.41) Riccati
 - . x

.

가 ,

,

$$|S_0| < 0.1$$
 ,

 $1/\lambda = 0.35$ $\varepsilon_{\rm rx}$ (2.44) .

$$\varepsilon_{\rm rx} = \varepsilon_{\rm r}' - j\varepsilon_{\rm r}'' = 1 - j \left[\frac{3.9(1 - x)}{1} - 0.9 \right]$$
(2.44)

 $\boldsymbol{arepsilon}_{\mathrm{rx}}$

가

2)

30 MHz 1,000 MHz

가

1.1

. , 1.1

 λ , $0.6 \lambda_{\rm d}$ 100 MHz

.

1.8 m .

MHz 1,000 MHz

2.3.4

1)

2.6

.

2.6 , n
, N
$$d_n$$
. μ_{rn} , ε_{rn}
7; , N

.

$$Z_{n} = Z_{cn} \frac{Z_{n-1} + Z_{cn} \tanh(\gamma_{n} d_{n})}{Z_{cn} + Z_{n-1} + \tanh(\gamma_{n} d_{n})}$$
(2.45)

•

$$(n=1, 2, 3, \cdots, \cdots, n)$$

$$Z_{cn} \qquad N \qquad , \gamma_n \qquad .$$

$$Z_{\rm cn} = \sqrt{\mu_{\rm rn}/\varepsilon_{\rm rn}}$$
(2.46)

$$\gamma_{\rm n} = j \,\omega \sqrt{\mu_{\rm rn} \,\varepsilon_{\rm rn}} \tag{2.47}$$

$$Z_{n} = \sqrt{\frac{\mu_{rn}}{\varepsilon_{rn}}} \frac{Z_{n-1} + \sqrt{\frac{\mu_{rn}}{\varepsilon_{rn}}} \tanh(j\frac{2\pi}{\sqrt{\mu_{rn}}}\varepsilon_{rn}d_{n})}{\sqrt{\frac{\mu_{rn}}{\varepsilon_{rn}}} + Z_{n-1}} \tanh(j\frac{2\pi}{\lambda}\sqrt{\mu_{rn}}\varepsilon_{rn}d_{n})}$$
(2.48)

$$n = 1$$
 , Z_{n-1} 0 .

$$S_{n} = \frac{Z_{n} - 1}{Z_{n} + 1}$$
(2.49)





Fig. 2.6 Multi-layered Electromagnetics Wave Absorber.

 $|\mathbf{S}_{0}|$, $\mathbf{S}_{n} = (\mathbf{Z}_{n} - 1)/(\mathbf{Z}_{n} + 1) \leq \mathbf{S}_{0}$. (2.48)

가

가

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cover

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가 [8].

3 가

3.1 가

3.1.1 가







Fig. 3.1 A Parallel Plate Transmission.

y w, z a Q, C, ε

가

.

,

$$Q = CV \tag{3.1}$$

$$V = gE_x$$
 (3.2)

$$D = E_x = \frac{V}{g}$$
(3.3)

$$\mathbf{Q} = \mathbf{w} \times \mathbf{a} \times \mathbf{D} = -\frac{\mathbf{w} \mathbf{a}}{\mathbf{g}} \mathbf{V}$$
(3.4)

(3.5) .

$$\frac{C}{a} = \frac{\varepsilon w}{g}$$
(3.5)



Fig. 3.2 An Eletromagnetic Absorber Composed of Periodic Arrays of Square Ferrite Cylinder.



Fig. 3.3 A Model for Calculation of Equivalent Material Constants.



Fig. 3.4 (a) A Model for Calculation of Equivalent Material Constants.(b) A Synthesized Capacitance Model.

С

3.2 3.4 ,

$$C_{1} = \varepsilon_{0} \varepsilon_{r} \Delta z,$$

$$C_{2} = \frac{d\varepsilon_{0} \Delta z}{(a - d)},$$

$$C_{3} = \frac{(a - d) \varepsilon_{0} \Delta z}{a}$$

$$C = \left\{ \frac{(a - b)}{a} + \frac{\varepsilon_{r} d}{(a - d) \varepsilon_{r} + d} \right\}_{0} \Delta z$$

$$(3.6)$$

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3.1.2 가

- z

, 3.1 L , ga . I, +y (3.9) + z , Η, Β, µ, ga , L 가 . $H = \frac{I}{w}$ (3.9) $B = \frac{\mu}{w}I$ (3.10)= B × g × a = $\mu \frac{g}{W}$ I (3.11) $L \frac{dI}{dt} = \frac{d\Phi}{dt}$ (3.12)(3.12) (3.13) . $L = \frac{1}{I} = \mu \frac{ga}{w}$ (3.13) (3.14), . $\frac{L}{a} = \frac{g\mu}{w}$ (3.14)3.3 3.5 L • • $L_1 = \mu_0 \mu_r \Delta z$ $L_2 = \frac{d \mu_0 \Delta z}{(a - d)}$ $L_3 = \frac{(a - d) \mu_0 \Delta z}{a}$ $L = \begin{cases} \frac{(a - d)}{a} + \frac{\mu_r d}{(a - d)\mu_r + d} \end{cases} a^{-2} dz$ (3.15)





3.3 7
$$\mu_{eq}$$
 (3.17)

$$\mu_{eq} = \frac{L}{\mu_o \Delta z} \tag{3.16}$$

$$\mu_{eq} = \frac{(a - d)}{a} + \frac{\mu_{r}d}{(a - d)\mu_{r} + d}$$
(3.17)
7 [9].

3.2.

,

3.2.1.

,

(3.18) [10].

$$\mu_r = 1 + \frac{K}{1 + jf/f_m}$$
(3.18)

, K (DC) , f , \mathbf{f}_{m} 가 μ_r , , μ_r , • 가 f_r μ_i (4.18) Snoek's limit law , 가 .

 $\mu_i \cdot f_r = 5.6 \times 10^3 \text{ MHz}$ (3.18)

3.2.2

가 가 가 가 가 가 . 가 ε_r , μ_r 가 가 가 . \hat{z} 가 , (3.19) S

(3.20)

.

,

$$\hat{z} = \sqrt{\frac{\mu_r}{\varepsilon_r}} \tanh(j \ 2 \quad \frac{d}{\sqrt{\varepsilon_r \mu_r}})$$

$$S = \frac{\hat{z} - 1}{\hat{z} + 1}$$
(3.19)
(3.20)

가

.

(3.19) (3.21)

|x| = 1 $\tanh x + \frac{1}{3}x^3$

$$\hat{z} = \sqrt{\frac{\mu_r}{\varepsilon_r}} \left\{ 2 - \frac{d}{\sqrt{\varepsilon_r \mu_r}} - \frac{1}{3} \left(j - 2 - \frac{d}{\sqrt{\varepsilon_r \mu_r}} \right)^3 \right\}$$

$$= j - 2 - \frac{d}{2} \mu_r + j - \frac{1}{3} \sqrt{\frac{\mu_r}{\varepsilon_r}} \left(2 - \frac{d}{\sqrt{\varepsilon_r \mu_r}} \right)^3$$

$$= j - 2 - \frac{d}{2} \mu_r \left\{ 1 + j - \frac{1}{3} \left(2 - \frac{d}{2} \right)^2 \varepsilon_r \mu_r \right\}$$
(3.21)

$$\varepsilon_{r} = \varepsilon_{r}', \quad \mu_{r} = \mu_{r}' - j\mu_{r}'' \quad (3.22) \quad .$$

$$\hat{z} \quad j \ 2 \quad \frac{d}{d} \left\{ (\mu_{r}' - j\mu_{r}'') + \frac{1}{3} \left(2 \quad \frac{d}{d} \right)^{2} \varepsilon_{r} (\mu_{r}' - j\mu_{r}'')^{2} \right\} \\
= \left\{ 2 \quad \frac{d}{d} \mu_{r}'' - \frac{2}{3} \left(2 \quad \frac{d}{d} \right)^{3} \varepsilon_{r}' \mu_{r}' \mu_{r}'' \right\} + (3.22) \\
j \left\{ 2 \quad \frac{d}{d} \mu_{r}' + \frac{1}{3} \left(2 \quad \frac{d}{d} \right)^{3} (\varepsilon_{r}' \mu_{r}'^{2} - \varepsilon_{r}' \mu_{r}''^{2}) \right\}$$

$$\hat{z} = 1 \tag{3.23}$$

$$2 \quad \frac{d}{2} \quad \mu_{r}'' - \frac{2}{3} \left(2 \quad \frac{d}{2} \right)^{3} \varepsilon_{r}' \, \mu_{r}' \, \mu_{r}'' = 1 \tag{3.24}$$

$$2 \quad \frac{d}{d} \mu_{r}' + \frac{1}{3} \left(2 \quad \frac{d}{d} \right)^{3} \left(\varepsilon_{r}' \mu_{r}'^{2} - \varepsilon_{r}' \mu_{r}''^{2} \right) = 0$$
(3.25)

$$d7$$
 $(2 - \frac{d}{2})^{3}$
(3.24) (3.26) .

$$2 \quad \frac{\mathrm{d}}{\mathrm{d}} \mu_r \,^{\prime \prime} \quad 1 \tag{3.26}$$

,

7
(3.25) 2
$$\varepsilon_{r}' \mu_{r}'^{2}$$
 (3.28)

$$2 \quad \frac{d}{d} \mu_{r}' - \frac{1}{3} \left(2 \quad \frac{d}{d} \right)^{3} (\varepsilon_{r}' \mu_{r}''^{2}) \quad 0$$
(3.27)

$$\mu_{r}' - \frac{1}{3} \varepsilon_{r}' \left(\frac{2}{2} d \mu_{r}'' \right)^{2} = 0$$
(3.28)

$$\mu_r' - \frac{1}{3} \varepsilon_r' = 0 \tag{3.29}$$

.

$$\mu_r'' = \frac{1}{2 - d} \tag{3.30}$$

$$\varepsilon_r' = 3\mu_r' \tag{3.31}$$

$$\gamma_{\rm h}$$
. μ_r' 1, $\varepsilon_{r'}$ $\gamma_{\rm h}$,

$$\varepsilon_r'$$
 3

8 16

4









가

Fig. 4.2 Approximation for Equivalent Material Constants of 2nd Layer.



Fig. 4.3 Equivalent Capacitance model of 2nd layer.

$$\varepsilon_{eff} = \frac{a \cdot [(a - \Delta t) \cdot \varepsilon_r + \Delta t]}{a(x_{n+1} - x_n) \cdot \varepsilon_r} + \frac{[(a - x_n + n\Delta t)(x_{n+1} - x_n)] \cdot \varepsilon_r}{a(x_{n+1} - x_n) \cdot \varepsilon_r}$$
(4.1)
, $x_n = 3$ d/2, n



가 4.4 2

Fig. 4.4 Equivalent Inductance model of 2nd layer.

$$\mu_{eff} = \frac{a \cdot [(a - x_n) \cdot \mu_r + (x_n - n\Delta t)]}{a \cdot \Delta t \cdot \mu_r} + \frac{\Delta t (a - x_n + n\Delta t) \cdot \mu_r}{a \cdot \Delta t \cdot \mu_r}$$
(4.2)

4.5			, 1	
			30 MHz	50 GHz
	20 dB	가		. ,
	가 34.7mm			가
1.5	m 가	가		

,

1.

1

가

				(mm)		20 dB
K = 2,500	a	b	d	h1	h2	
$fm = 2.5 \text{ MHz}$ $\varepsilon_r = 14$	20	9	7	6.7	28	30 MHz 50 GHz









4.6 Fig. 4.6 Measurement System for Wave Absorber.



4.7 Fig. 4.7 Wave Absorber in Measurement System.





Fig. 4.8 The Characteristics of Top-Cut Corn array Wave Absorber.

,	Wiltron	360B Netw	ork A	nalyzer		Time
Harmonic	х	가	Time	e(Distance)	domain	
가						
Х		7	ŀ			
1 Marking		가				
		가.	, 1			
					가	
		, 가			0 dB	
4	0 MHz	2 GHz				40
MHz 1 GHz		20 dB				•
			가			
가		300	MHz	500 MHz		
		1 GHz				

가 , • 가 가 EMI/EMC . EMI/EMC • , . CISPR가 1998 가 30 MHz 18 GHz 20 dB 가., 4 cm 34.7 mm 가 30 MHz 50 GHz 20 dB . 가 , 가 . 40 MHz 1 가 GHz 20 dB . , 가 가 300 MHz 500 MHz 1 GHz 1 GHz .

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가 .

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